



## RF Bulk Acoustic Wave Resonators and Filters

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**Abstract.** Small sized, highly selective solidly mounted bulk acoustic wave (BAW) band pass filters are of great interest for mobile and wireless systems operating in the frequency range of 0.8 GHz up to more than 10 GHz. They can be fabricated on silicon or glass wafers using standard semiconductor integration techniques. These filters are based on electro-acoustic high Q resonators, which exploit the thickness extensional mode of a thin piezoelectric AlN or ZnO film. This film has to be grown with its polar axis, oriented perpendicular to the substrate. Both the deposition process and using a textured electrode support excellent *c*-axis oriented growth and thus high electromechanical coupling coefficient  $k_t$  and filter bandwidth. Modelling of the filter and resonator response is performed by means of a combination of a 1D electro-acoustic model together with an electromagnetic model. The paper shows examples of filters operating in the range between 2 and 8 GHz.

**Keywords:** bulk acoustic wave resonator, RF filter, AlN

### Introduction

Filtering of signals, which are closely separated in the frequency domain, is a key function in mobile radio front-ends (see Fig. 1). The performance requirement means that this function must be implemented in a passive technology. 3G mobile standards like UMTS, where transmission and reception of signals is done simultaneously require narrow band filters (duplexers), which have flat pass-band with steep skirts and high out-of-band rejection. For that reason thin-film bulk acoustic wave (BAW) resonators, BAW ladder and lattice filters and acoustically coupled BAW filters have been studied intensively over the past 20 years for RF applications in the frequency range of 800 MHz to 12 GHz [1–9].

The use of BAW filters for radio front ends of mobile phones, in particular, has attracted a lot of interest, since surface acoustic wave (SAW) filters, which are well established at frequencies up to approx. 2 GHz, have considerable drawbacks at higher frequencies: sub-micron lithography, dedicated small wafer-size expensive non silicon substrates such as LiNbO<sub>3</sub> or LiTaO<sub>3</sub>, and poor power handling characteristics [10]. Ceramic resonator

filters, which are also used in this frequency range, on the other hand, suffer from their relatively large size and low integration potential. BAW filters are remarkably small in size and can be processed on silicon or glass using standard silicon integration techniques. Furthermore, they can be designed with a low temperature coefficient of frequency (TCF), which is a very important requirement for accurate narrow band filters [11, 12]. This all makes BAW filters very attractive for today's semiconductor industry. The essential building blocks of these BAW filters are small sized BAW resonators (see Fig. 2), which, in the technology of interest here, exploit the thickness extensional vibration mode of a thin piezoelectric film.

The resonance frequency  $f_r$  is determined approximately by the thickness  $t$  of the piezoelectric film:

$$f_r \approx v/\lambda = v_l/2t \quad (1)$$

where  $v_l$  is the longitudinal velocity of sound in the normal direction in the piezoelectric layer,  $t$  is the thickness of the piezoelectric film, and  $\lambda$  is the acoustic wavelength. In a real resonator device, of course, the frequency  $f_r$  is different from Eq. (1), since the

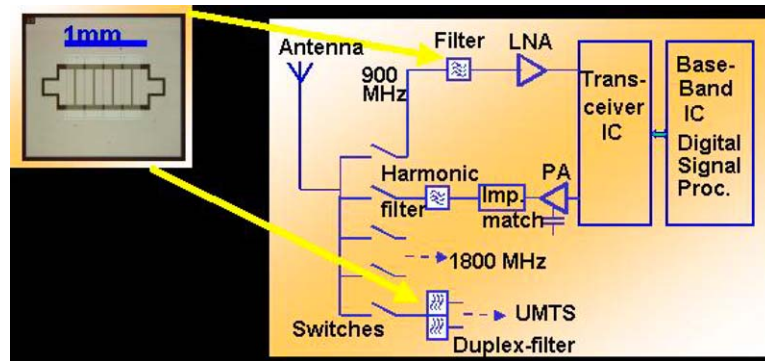


Fig. 1. Architecture of a mobile phone front end. Filters are required in GSM (900 MHz, 1800 MHz) and UMTS bands. Left: example of a die with a 4-section BAW ladder filter.

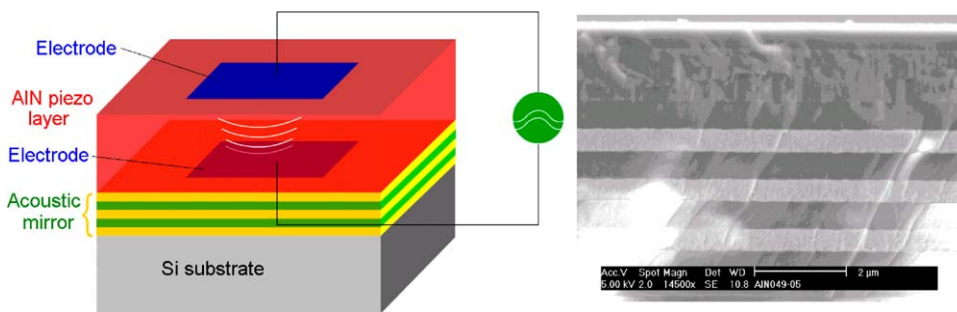


Fig. 2. Bulk acoustic wave resonator. Left: schematic showing acoustic Bragg reflector (acoustic mirror), electrodes, and piezoelectric layer; right: SEM cross-section of BAW resonator.

acoustic properties of all other layers influence the resonator performance e.g. by the mass-loading effect of the resonator’s electrodes. Despite the fact that Eq. (1) is only a crude approximation one can draw two important conclusions:

1. Since the velocity of sound is typically in the range between 3000–11000 m/s for most materials, we need a thickness of the piezo layer in the order of a micrometer.
2. The frequency of a resonator and thus the center frequency of a filter are mainly determined by the thickness  $t$  of the piezo layer. This poses also a strong challenge on the accuracy of thin film deposition. Despite the fact that the idea for high frequency BAW filters is already quite old, only the large improvements in the field of sputter deposition techniques over the past few years has made thin-film BAW resonators and filters technologically feasible. For low loss BAW filters the acoustic energy has to be confined within the resonator. This is done by using an acoustic reflector, which reflects the energy back into

the resonator. One implementation of such a reflector is realized using etching techniques adapted from micro electro mechanical systems (MEMS) technology. Here the thin film BAW resonator (TFBAR) is formed on a thin membrane of Si, SiO<sub>2</sub>, or Si<sub>3</sub>N<sub>4</sub>. Since the acoustic impedance of air is negligible compared to the acoustic impedance of solids, almost all the energy is reflected back from the resonator/air interface. The TFBAR technology is applied industrially for PCS band duplex filters [13]. Another approach is the solidly mounted BAW resonator (SBAR). This reflector technique utilizes so-called Bragg mirrors consisting of a stack of thin layers of materials with alternate high and low acoustic impedance (acoustic impedance =  $\rho \times v_l$ , where  $\rho$  is the density). Various material combinations exist for such acoustic interference coatings e.g. SiO<sub>2</sub>/AlN [1, 2, 4, 12], SiO<sub>2</sub>/W [9], SiO<sub>2</sub>/metal-oxides. Depending on the difference in acoustic impedance an effective reflector typically requires up to 5 pairs of layers. Figure 2 below shows a typical BAW resonator. The bottom electrode is made of a high conductivity

material such as Al, Mo, or Pt. For the piezoelectric layer either AlN [1, 2, 4, 7, 14, 15], or ZnO [9, 16] is commonly used. Alternative materials including ferro-electrics are presently under discussion [17–20]. Both AlN and ZnO have the hexagonal wurtzite type structure, i.e. in order to get a working device, the material has to be grown with the polar  $c$ -axis perpendicular to the substrate surface. Additionally the polarity must not change across the BAW resonator. The top electrode is again made of a high conductivity material.

In Fig. 3 one can see the electrical impedance of a BAW resonator with its two characteristic frequencies. At the resonance frequency  $f_r$  the electrical impedance  $|Z|$  is very small (electrical field parallel to polarization, high current flowing) whereas at the anti-resonance frequency  $f_a$   $|Z|$  is very large (electrical field anti-parallel to polarization, no current flowing). As mentioned above, filters are made by combining several resonators. Figure 3 shows a simple one-section ladder filter comprising a series and a parallel resonator ( $s$ ,  $p$ ). The parallel resonator  $p$  is shifted in frequency with respect to the series resonator  $s$ . When the resonance frequency  $f_{r-s}$  of the series resonator equals the anti-resonance frequency  $f_{a-p}$  of the parallel resonator, maximum signal is transmitted from input to output of the device. At the anti-resonance frequency  $f_{a-s}$  of the series resonator filter transmission is blocked, and at the resonance frequency of the parallel resonator

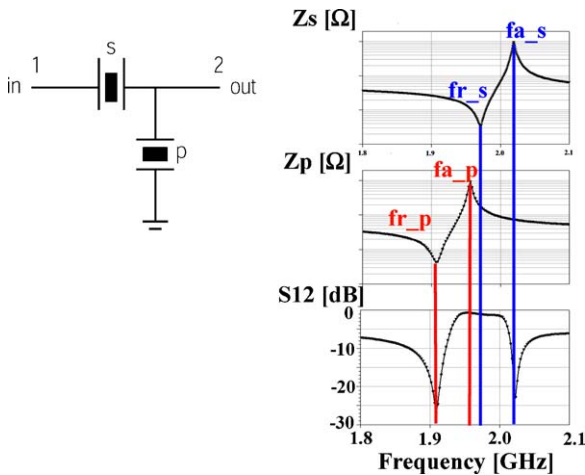


Fig. 3. Single section BAW filter consisting of one series and one parallel resonator. Right: Electrical impedance of series and parallel resonator. The bottom curve shows the transmitted signal  $S_{21}$  revealing a band-pass filter characteristic.

$f_{r-p}$  the filter input is connected to ground, so that the BAW filter also blocks signal transmission at this frequency. This results in the band-pass filter characteristic  $S_{21}$  shown in Fig. 3. The out-of-band rejection is typically 6 dB for a single filter section. The bandwidth of the filter is determined by the separation of  $f_r$  and  $f_a$  and is therefore proportional to the square of the electromechanical coupling coefficient  $k_t^2$  (see Eq. (2)). Pulling the resonance frequency of the series resonator  $f_{r-s}$  and the anti-resonance frequency of the parallel resonator  $f_{a-p}$  apart, as shown in Fig. 3, increases the bandwidth slightly. The dip in the center of the pass-band (see Fig. 3 and Fig. 12) can be recovered partially by adding small inductors at the filter ports.

$$k_t^2 = \frac{\pi^2}{4} \left( \frac{f_a - f_r}{f_a} \right) \quad (2)$$

$k_t^2$  is approximately 6.25%–7% for AlN and 8.5% for ZnO. This appears to be sufficient for many mobile and wireless filter applications. Certainly ZnO would be preferable because it could offer a wider bandwidth. However, we have to consider the temperature dependence of the elastic, piezoelectric and dielectric constants and thermal expansion coefficient, which together give a temperature coefficient of the resonance frequency TCF. For AlN and ZnO reported values are  $-25$  ppm/K and  $-60$  ppm/K respectively [21]. For the temperature dependence of the whole device the other layers (mass-loading layer, electrodes) also have to be considered. Reported values of TCF are  $-21$  ppm/K for AlN SBAR filters,  $0$  ppm/K for AlN TFBAR resonators [12], and  $-31$  ppm/K for ZnO based SBAR filters [9]. The higher TCR for ZnO compared to AlN appears to be a drawback.

## Experimental

In the following we describe typical experimental techniques for the fabrication of solidly mounted SBAR devices. Resonators and filters were fabricated on  $6''$  silicon wafers and for comparison on glass wafers [17, 18, 19, 22]. We commonly use an acoustic reflector comprising  $\lambda/4$  layers of high and low acoustic impedance materials. The thickness of the reflector layers was controlled optically. Electrode materials were Al, Mo and Pt. The piezoelectric layer was  $c$ -axis oriented AlN, which was deposited by pulsed reactive DC magnetron

sputtering in a Unaxis CL200-cluster tool. The base pressure was in the low  $10^{-8}$  mbar range. A pulse frequency of 20–100 kHz was used to avoid arcing. Chuck temperature was varied between 300 and 500°C, and a RF substrate bias was applied to control stress and texture of the AlN films. The quality of the AlN films was routinely checked by X-ray diffraction  $\theta/2\theta$  scans (Philips Fine Focus PW2213/20) and by measuring the full width at half maximum (FWHM) of the rocking curve of the AlN0002 peak. The quality of the AlN films was excellent. A FWHM of 1.2–1.5° was achieved on Si substrates; approximately 1.5° was achieved on Pt electrodes. The AlN properties varied only slightly with the deposition conditions [19, 22]. Resonators and filters were measured electrically (one and two port measurements) on wafer level using wafer microprobes. The measurements were done with an R&S Vector Network-Analyzer in a frequency range between 10 MHz and 20 GHz with increased resolution in the vicinity of the resonance.

### Microstructure of AlN

AlN and also ZnO have a hexagonal (6 mm) wurtzite type structure (see Fig. 4). When an electric field is applied along the polar  $c$ -axis, atoms and consequently the center of charge are displaced and the unit cell is strained. This effect represents the so-called inverse piezoelectric effect and is exploited in BAW resonators and filters. By applying an alternating RF field along

the  $c$ -axis the BAW resonator is excited in its thickness extensional mode. Figure 4 reveals that the AlN film has to be grown  $c$ -axis oriented and that the  $a$ -axis is hereby randomly oriented in the substrate plane. The AlN film is a columnar grown and textured poly-crystal with a grain size (column width) of typically 35 nm.

$C$ -axis oriented growth of AlN appears to be the naturally supported orientation, because it comes along with a with the hexagonal-closed packed (hcp) arrangement of N and Al atoms in the sequence of a double layer stacking according to . . . AA'BB'AA' . . . As long the growth of the AlN film is not disturbed,  $c$ -axis orientation will be the preferred orientation. Furthermore, the use of polycrystalline, textured electrodes may support  $c$ -axis oriented growth [18, 23]. In Fig. 4 a TEM bright field cross-section of a Pt electrode with (111) orientation is shown. The TEM image indicates that the AlN growth occurs quasi-epitaxially and the Pt grain size and AlN grain-size match quite distinctly. Quasi-epitaxy can be deduced from the degree of texture of both AlN and Pt electrode and has been proved by selected area electron diffraction and micro diffraction in TEM in addition to macroscopic XRD. Indeed, an epitaxial orientational relationship exists (see Fig. 5) which describes the growth of (0002) oriented AlN on Pt (111) geometrically according to the matching condition (3):

$$5 \cdot d_{2\bar{1}\bar{1}}^{\text{Pt}} = 3 \cdot d_{10\bar{1}0}^{\text{AlN}} \quad (3)$$

Another important aspect of the growth of AlN is the thickness dependence of the AlN texture. As shown in

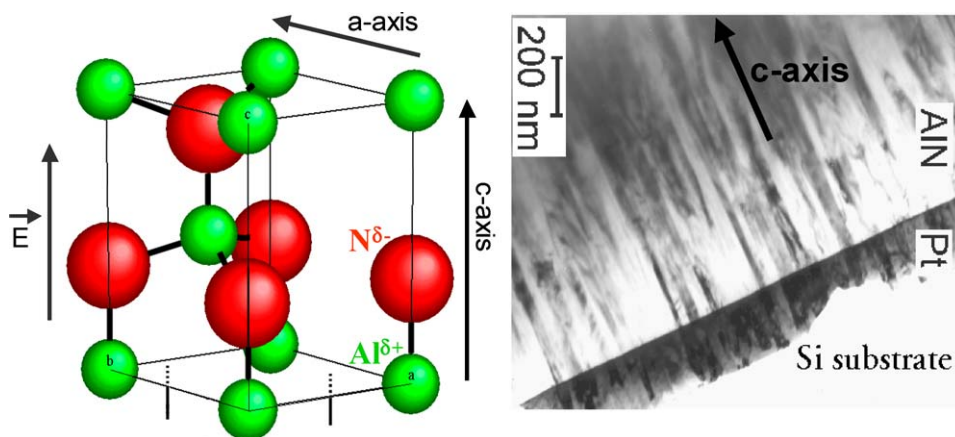


Fig. 4. Left: Schematic view of an AlN unit cell showing polar character. Right: TEM cross-section of a  $c$ -axis oriented polycrystalline AlN film on a Pt (111) electrode.

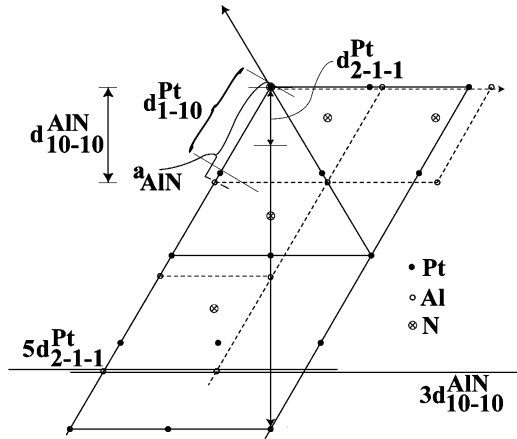


Fig. 5. Epitaxial relationship of AlN(0002) on Pt(111) in plan view, i.e. along AlN[0001] and Pt[111] direction. Dashed lines: unit cell of AlN, solid lines: 'hexagonal cell' Pt.

Fig. 6, AlN was grown in subsequent runs, each run depositing a AlN film thickness of approximately 1  $\mu\text{m}$ . After each deposition an XRD rocking curve of the AlN0002 peak was measured. It can be seen that the rocking curve FWHM width of the (0002) peak gets smaller from run to run and that the net intensity of the 0002 peak becomes larger. The AlN *c*-axis orientation improves with thickness, if the growth is not disturbed. The TEM image reveals, that the orientation of the AlN crystallites in the beginning of the growth is misaligned with respect to perfect (0002) orientation. Since the (0001) oriented grains grow faster at the expense of the misaligned grains, we find eventually after a few 100 nm almost perfect *c*-axis orientation of the AlN grains. The AlN growth mechanism is schematically depicted in Fig. 7.

The dependence of the experimentally determined coupling coefficient  $k_t$  on the rocking curve FWHM width of AlN0002 peak is shown in Fig. 8 [22]. Films with poor *c*-axis orientation have significant lower values of the coupling coefficient  $k_t$  with consequently reduced filter bandwidth. As can be seen in Fig. 9, the sputter deposition process results in good oriented films both on SiO<sub>2</sub> and on Pt(111) substrate surfaces. The dependence of the AlN orientation on the sputter conditions is only small. Generally higher substrate temperature and moderate RF bias applied to the substrate support *c*-axis orientation most probably due the increased mobility of the sputtered N and Al ad-atoms at the substrate surface. In Ref. [14, 15, 23] it was shown, that the piezoelectric constant  $d_{33}$  and thus  $k_{33}$  or  $k_t$  is influenced by the bias applied to the substrate.

### Simulation

In order to meet the demanding specifications typical in BAW filter applications it is important to optimize all aspects of the resonator and filter performance, and therefore to consider both acoustic and electromagnetic (EM) contributions to the filter behaviour. In particular, many mechanisms contribute to pass-band insertion loss. These include conductor loss, dielectric loss in the piezoelectric layer, substrate loss, electrical mismatch loss, acoustic loss in the materials and several additional acoustic loss mechanisms. On the other hand rejection in the stop-band is typically limited by electrical (electromagnetic) effects. To help address related design issues, a method has been developed for simulating the different physical effects in a unified model. Computational efficiency is important in the design

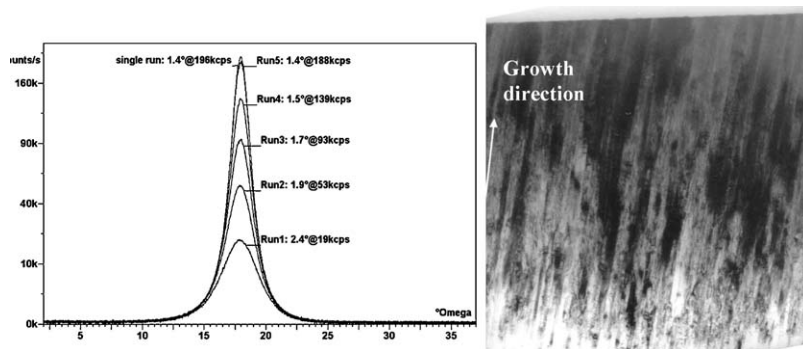


Fig. 6. Top left: XRD rocking curves of the AlN0002 peak of AlN films with different thickness. *C*-axis orientation improves from run to run. Right: TEM cross-section of thick AlN layer showing improvement of *c*-axis texture with thickness micro-structurally.

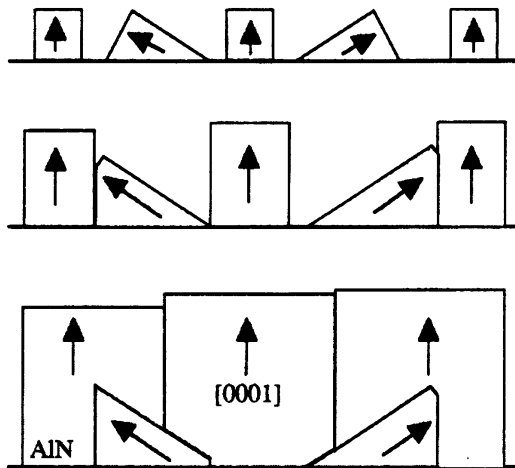


Fig. 7. Schematic depiction nucleation and growth mechanism of AlN according to Ref. [27].

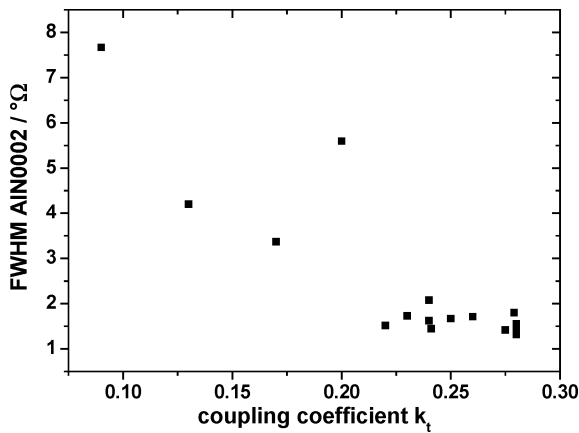


Fig. 8. Dependence of coupling coefficient  $k_t$  on the rocking curve FWHM of the AlN0002 peak. Poorly oriented films show low coefficient  $k_t$ .

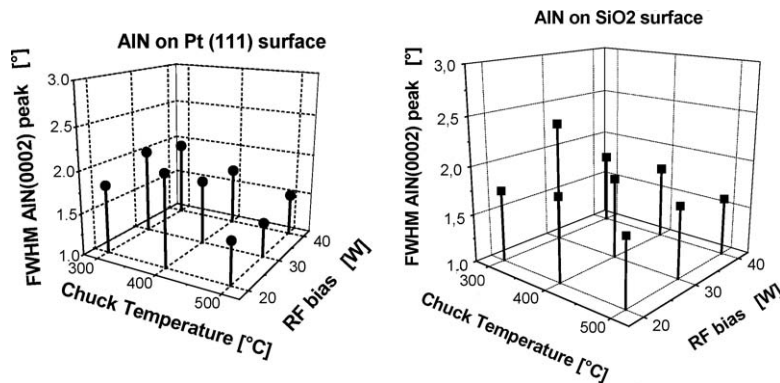


Fig. 9. Dependence of AlN *c*-axis orientation on process conditions. FWHM width of AlN(0002) peak depends only weakly from deposition conditions. Left: AlN on Pt (111) surface, right: AlN on thermal SiO<sub>2</sub> surface.

cycle, therefore a 1D electro-acoustic solution broadly equivalent to the model of Nowotny and Benes [24] is used to model the BAW resonators, while lumped-element equivalent-circuit models are used for modeling the EM part of the problem. In the first method, appropriate for modeling parasitics due to filter layout, lumped component values are extracted automatically from 2.5D simulation using the method described in [25]. The second method, appropriate for modeling single resonators, uses the simpler procedure described below. A combined acoustic/EM model is created by importing individual models into a commercial circuit analysis tool.

The acoustic material loss of the resonator is described by the material quality factor  $Q_m$  of each layer, which we introduce into the model through an imaginary component of the longitudinal sound velocity. Parasitic components due to interconnects are introduced into the model to match the measurements as closely as possible (see Fig. 10). Series resistance  $R$  and inductance  $L$  of the electrodes are added to the resonator model as lumped elements in the circuit simulator. Additionally a term proportional to  $\sqrt{\omega}$  (square root of angular frequency) is included in the resistance. This approximately accounts for the RF-dependent redistribution of current in the conductors. A parasitic capacitor and resistor to ground model the stray electric field and associated loss in the Si substrate. Dielectric loss is characterized by introducing by an imaginary part into the dielectric constant of AlN.

We introduce additional loss (to account for otherwise unexplained measured loss) through an imaginary part of  $k_t$ . This is seen to improve the agreement with measurement. Alternatively it has been proposed to

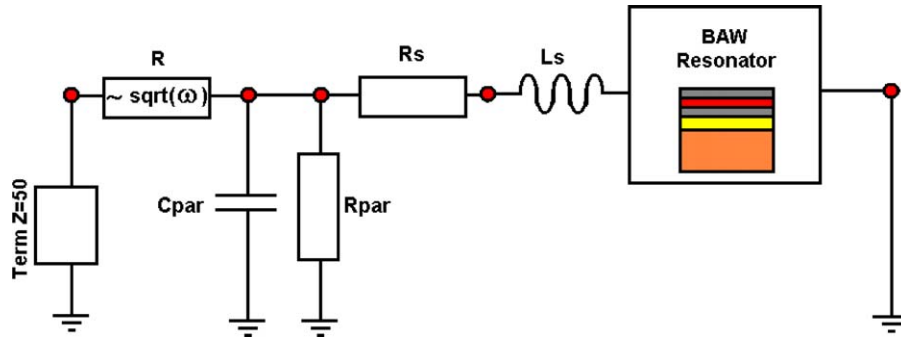


Fig. 10. Simulation of a BAW resonator: The electro acoustic 1-D resonator model described by the symbol right is imported in a commercial circuit simulator. The EM contributions are simulated as lumped elements.

introduce an additional resistor in series with the static capacitance of the resonator [26]. Neither way of describing this additional loss mechanism seem to be justified on physical grounds. We suspect that the predominant additional loss mechanism may actually be acoustic radiation away from the resonator associated with imperfect energy trapping. A more rigorous treatment of this effect would require 2-D or even full 3-D modeling of the BAW resonators.

**Resonator and Filter Performance**

By means of an acoustic Bragg reflector high Q factor resonators can be made. Figure 11 shows the electrical impedance Z and admittance Y of a series resonator (two identical resonators connected in series via the bottom electrode) for 1.95 GHz. The quality factor  $Q_z$

at the anti-resonance is approximately 500, the quality factor at the resonance  $Q_y$  is approx. 300. The simulation was done using the combined 1-D electro-acoustic (Nowotny & Benes theory) and the simpler of the two electromagnetic models described above. The acoustic material loss of the resonator is described by the material quality factor  $Q_m$  of each layer, which we introduced into the model through an imaginary component of the longitudinal velocity of sound  $v_l$  (see above). Parasitic components due to interconnections were introduced into the model to match the measurements as closely as possible. A more fundamental treatment of parasitics based on electromagnetic simulation of filter layout is described in [25]. We found in our simulation  $Q_m$  better than 500 to 1000 for all layers. Velocity of sound and density of the layers were taken mainly from the literature. Dielectric loss was negligible for this resonator ( $\tan \delta = 2 \cdot 10^{-3}$  measured

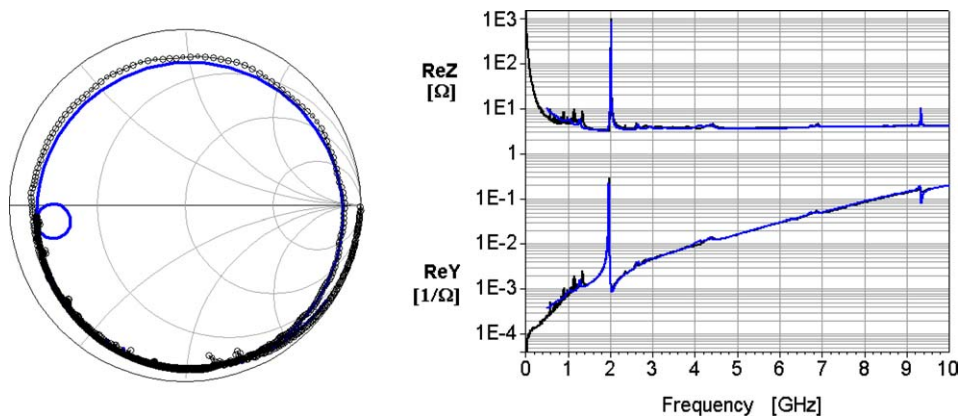


Fig. 11. Resonator at 1.95 GHz. Left: Smith chart, right: Real part of impedance Z and admittance respectively. Measurement back curve, simulation blue curve.



at 1 kHz). Series resistance  $R_s$  and inductance  $L_s$  of the electrodes were added to the resonator model as lumped elements ( $R_s = 1.8 \Omega$ ,  $L_s = 0.7 \text{ nH}$ ) in the circuit simulator. Additionally a resistance term proportional to  $\sqrt{f}$  ( $R = 1.15e^{-5}\sqrt{f}$ ) was included in the resistance. As explained above, this approximately accounts for the RF-dependent redistribution of current in the conductors, which flows closer to the edges at high frequencies. A parasitic capacitor  $C_{\text{par}} = 0.35 \text{ pF}$  and resistor  $R_{\text{par}} = 1.8 \text{ k}\Omega$  to ground model the stray electric field and associated loss in the silicon substrate. Figure 11 shows that the agreement between measurement and simulation is excellent. Even the fine details of the resonator's response can be simulated and give valuable information, for example, concerning the centring of the Bragg reflector reflection band with respect to the resonator's centre frequency. The peaks in real part of the impedance ( $\text{Re}Z$ ) below and above the fundamental anti-resonance peak correspond to transmission maxima of the acoustic reflector and can be used to determine the longitudinal velocity of sound in the reflector layers very accurately [25]. The AlN thickness in this resonator was approx. 1900 nm; the resonator area was

$268 \times 268 \mu\text{m}^2$ . For the bottom electrode we used (111) oriented Platinum, for the top electrode Aluminium was used. The small peak in the shoulder of the fundamental mode at 2.13 GHz, which is not predicted by the model, is identified as the fundamental TE mode of a parasitic resonator, which is formed between the reflector and the top electrode. Since this parasitic resonator has no bottom electrode, its resonance is at a higher frequency than that of the wanted resonator. The stray electric field excites this parasitic resonance. It can also be seen that the Bragg reflector, if well designed, suppresses higher harmonics and spurious modes very effectively. This results in a very clean resonator response and, as we will see below, in a clean filter stop-band.

The value of  $k_t$  determined from our simulation is 0.27, which is remarkably high and corresponds to the excellent orientation of the piezoelectric thin AlN film. As has been shown in Fig. 7,  $k_t$  is correlated with the  $c$ -axis orientation of the AlN films and can be reduced, if the orientation is poor.

In the following Fig. 12 we show a few examples of ladder-type filters, which have been realized using high Q BAW resonators with Bragg reflector. All these

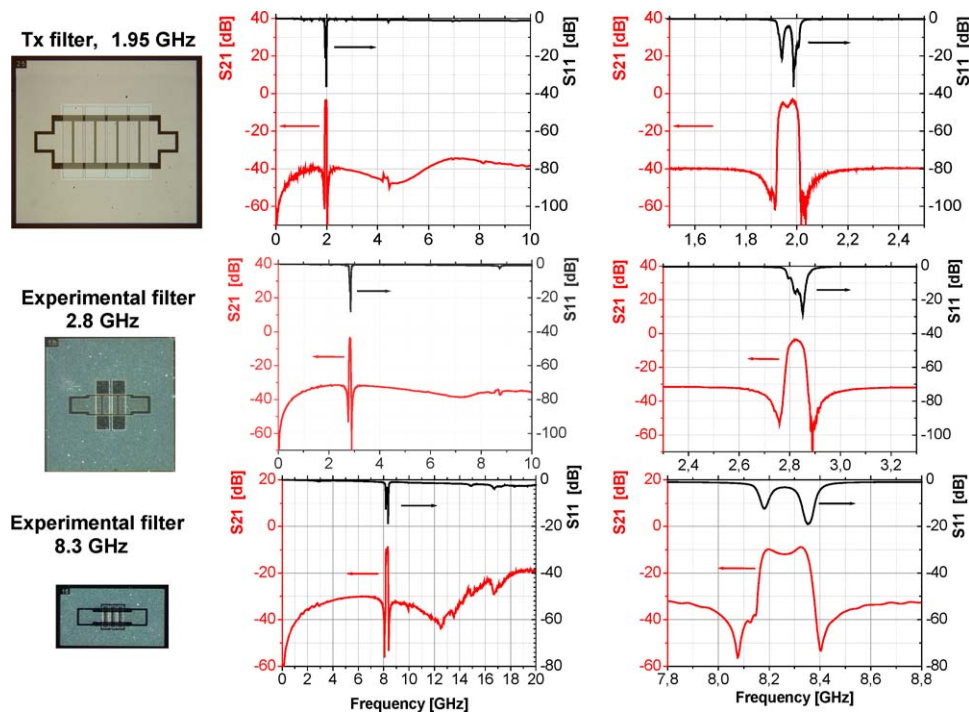


Fig. 12. 4-section, 2-section and 3-section BAW ladder-type band-pass filters for 1.95, 2.85, and 8 GHz. Left: typical layout; right: Filter curves depicting transmission  $S_{21}$  and reflection  $S_{11}$  in dB.



filters were made on silicon substrates. As discussed above, all filters reveal a clean stop band, which is due to the additional selectivity provided by the acoustic Bragg reflector (limited bandwidth of the reflector). Higher harmonics and spurious modes are therefore very effectively suppressed. The dips in the pass-band of the filters were made intentionally by pulling the resonance frequency of the non-mass-loaded resonators and the anti-resonance frequency of the mass-loaded resonators apart. Including small series inductors at the filter ports flattens this dip. Figure 12 shows a 4-section ladder filter for 1.95 GHz, a 2-section ladder filter for 2.85 GHz, and a 3-section ladder filter for 8 GHz. The broad dip in the stop-band at 4.5, 6.5 and 12.5 GHz respectively is due to an LC resonance that depends on the details of the filter design. The dips should be suppressed by better grounding, which can be expected for packaged devices.

For the 8 GHz filter shown in Fig. 12 we had to use a quite thin AlN layer. Measuring resonators operating at 8 GHz shows that the effective coupling coefficient  $k_{\text{eff}}$  is approx. 0.2. Using our combined 1-D /EM simulation to explain the measured resonator data, we find that the real part of  $k_t$  for AlN is approximately 0.23 for a resonator at 8 GHz. This is slightly less than the literature value of 0.25 and the values we find for resonators operating at lower frequencies. This result confirms again that very thin AlN films are less well  $c$ -axis oriented. We attribute this to the growth characteristics of AlN, which has been already discussed. We think that this effect could limit the available  $k_t$  for filters

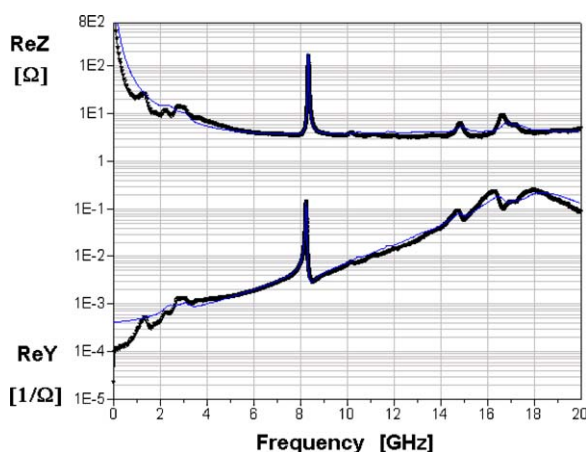


Fig. 13. Measurement and simulation of impedance  $\text{Re}Z$  and admittance  $\text{Re}Y$  of a BAW resonator for 8 GHz (thick black line: measurement, thin blue line: simulation).

operating at high frequencies above 8 GHz. The out-of-band response of the 8 GHz resonator is again very clean and shows no significant spurious modes. The small dielectric loss in the AlN layer was included into the model by a complex dielectric constant. As noted before, losses in the silicon substrate as well as electrode resistance and inductance were added as lumped elements. Finally, simulation and measurement agree very well (see Fig. 13).

## Conclusion

Accurate BAW resonators and band-pass filters are made today in both SBAR and TFBAR technology for frequencies between 900 MHz and 12 GHz using either AlN or ZnO. In this paper we described bulk acoustic wave resonators and filters for frequencies between 2–8 GHz on silicon wafers using  $c$ -axis oriented AlN and a Bragg acoustic interference reflector. These devices show a remarkably high coupling coefficient  $k_t$  and a clean stop-band. The responses of the electroacoustic resonators and filters can be described accurately by a combination of 1-D electro-acoustic plus electromagnetic modeling. The  $c$ -axis orientation of AlN improves with substrate temperature and with film thickness and can be influenced by the orientation of the underlying electrode. For Pt(111) electrodes a quasi-epitaxial relationship for the oriented growth of AlN can be found.

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